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Problem Solving（http：／／goo．gl／rTOmcL）
Essential Academic Skill Enhancement（EASE）workshop series

This workshop reviews the basics of algebra through pre－calculus to help prepare you for college calculus．

## We will discuss word problems resulting in：

－Rational Equations
－Radical Equations
－Simple Exponents
－Not－So－Simple Exponents（Logs）
－Quadratic Equations
－Trigonometry
－Composite Functions
－Lines
－Domain \＆Range

## Assessment：

1．Jennifer works part－time at an electronics store and gets paid $\$ 8 /$ hour．During a holiday week，Jennifer will make $\$ 20$ just for being an employee（even if she doesn＇t work）．During this week，she can work up to 36 hours．The amount of money she can make during this holiday week is a function of how many hours，$h$ ，she works．Find the domain and range of the function．

2．In your UNM College Algebra class there is a total of 800 possible points．These points come from 10 homework sets that are worth 10 points each， 10 Quizzes worth 10 points each， 4 exams worth 100 points each，and a cumulative final exam worth 200 points．Suppose you have a homework average of $98 / 100$ points，your quiz average is $89 / 100$ points and you have exam grades of $97,85,88$ ，and 94．What do you need to get on the final exam to get an A for the course？（Assume an A is $93 \%$ or higher of the total possible 800 points）．
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3. Earthquake intensity is measured by the Richter scale. The formula for the Richter rating of a given quake is given by " $R=\log \left[I \div I_{0}\right]$," where $I_{0}$ is the "threshold quake," or movement that can barely be detected, and the intensity $I$ is given in terms of multiples of that threshold intensity.

You have a seismograph set up at home, and see that there was an event while you were out that had an intensity of $\mathrm{I}=989 I_{0}$. Given that a heavy truck rumbling by can cause a microquake with a Richter rating of up to 3.5 , and "moderate" quakes have a Richter rating of 4 or more, what was likely the event that occurred while you were out?
4. A baseball is hit and its height in feet, $t$ seconds later, can be approximated by $h=-16 t^{2}+40 t+4$. When does the ball hit the ground? (Hint: the height of the ball on the ground is zero; $t=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}$ )
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5. The speed of a tsunami (tidal wave) can travel is modeled by the equation " $S=356 \sqrt{d}$," where $S$ is the speed in kilometers per hour and $d$ is the average depth of the water in kilometers. A tsunami is found to be traveling at 120 kilometers per hour.
What is the average depth of the water? (Round to 3 decimal places.)
Do you think this would pose a major threat to nearby cities? $(1 \mathrm{~km} \approx 3281 \mathrm{ft} ; 100 \mathrm{ft} \approx 0.03 \mathrm{~km})$
6. The pressure $p$ experienced by a diver under water is related to the diver's depth $d$ by an equation of the form $p=k d+1$ ( $k$ a constant $)$. When $d=0$ meters, the pressure is 1 atmosphere. The pressure at 100 meters is 10.94 atmospheres. Find the pressure at 50 meters.
7. What if a restaurant needed to build a wheelchair ramp for its customers? The angle of elevation for a ramp is recommended to be 5 degrees. If the vertical distance from the sidewalk to the front door is two feet, what is the horizontal distance that the ramp will take up $(x)$ ? How long will the ramp be $(y)$ ? Round your answers to the nearest hundredth.
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8. You drink a beverage with 120 mg of caffeine. Each hour, the caffeine in your system decreases by about $12 \%$. How long until you have 10 mg of caffeine? The standard equation for rate of growth/decay is: $A=a_{o}(1 \pm r)^{t}$; where $a_{-} o=$ the initial amount; $r=$ the percent of increase per time period; $t=$ the number of time periods; and $A=$ the total amount after t time periods.
9. The number $N$ of bacteria in a refrigerated food is given by: $N(T)=20 T^{2}-80 T+500,2 \leq T \leq 14$, where T is the temperature of the food in degrees Celsius. When the food is removed from the refrigeration, the temperature of the food is given by: $T(t)=4 t+2,0 \leq t \leq 3$, where $t$ is the time in hours.
Find the time when the bacteria count reaches 2000 .

